Differential Evolution for Neural Architecture Search

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Summary

Contributions

• Standardizing and benchmarking differential evolution (DE) as a *search strategy* for neural architecture search (NAS). • We demonstrate that our DE yields state-of-the-art performance for NAS, comparing favorably to regularized evolution (RE) and Bayesian optimization.

Canonical DE

- DE is an evolutionary algorithm that is based on four steps:
- **Initialization:** Initialize a population space of *NP* individuals $pop_g = (X_{i,g}^1, X_{i,g}^2, ..., X_{i,g}^D), i = 1, 2, ..., NP$
- **Mutation:** A new child/offspring is produced $V_{i,q} = X_{r_1,q} + F \cdot (X_{r_2,q} - X_{r_3,q})$

Observations

discretize-architecture

regret

 $\frac{10}{2}$ 10

DE

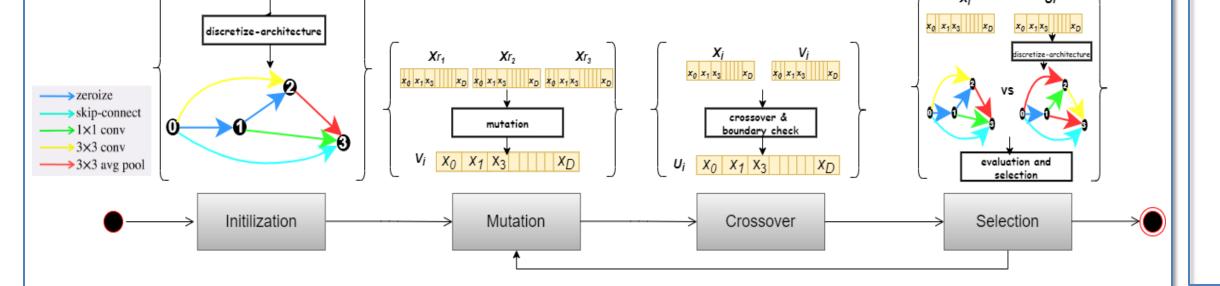
- DE yields improved and more robust results for 13 tabular NAS benchmarks based on NAS-Bench-101, NAS-Bench1Shot1, NAS-Bench-201 and NAS-HPO bench.
- DE shows strong *final performance*, compared to RE, BOHB.
- DE appears to be robust to high-dimensional spaces and handle mixed-data types adeptly.

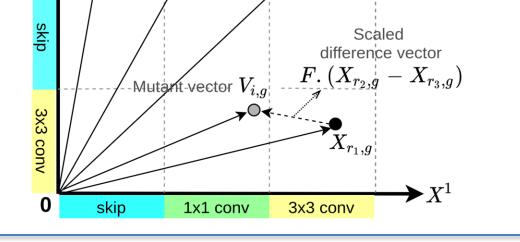
Crossover: Combine target and mutant to generate a trial $u_{i,g}^{j} = \begin{cases} v_{i,g}^{j} & \text{if } (rand < Cr) \text{ or } (j = j_{rand}) \\ x_{i,g}^{j} & \text{otherwise} \end{cases}$

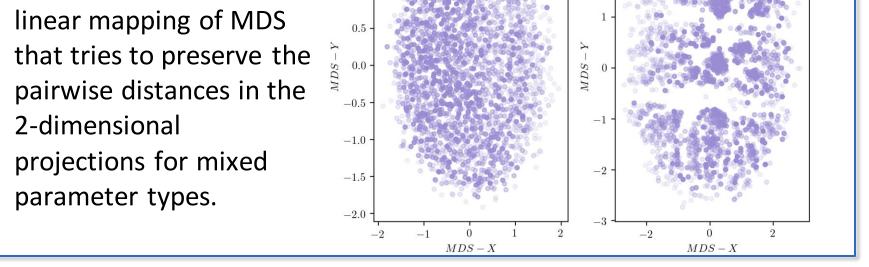
Selection: Evaluates trial and compares to keep or discard $X_{i,g} = \begin{cases} U_{i,g} & \text{if } (f(U_{i,g}) \le f(X_{i,g})) \\ X_{i,g} & \text{otherwise} \end{cases}$

may arise due to the non-

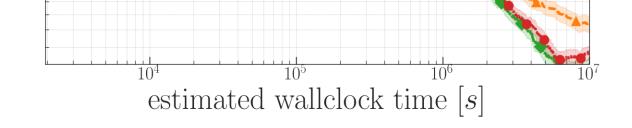
DE for NAS	Parameter space mapping	Search space visualization	
 The figure below shows the general framework of our DE implementation for NAS. 	 Integer and float parameters: 	DE space [0, 1] Cifar10 parameter space	
 We scale all NAS parameters to [0, 1] to let DE work on individuals from a uniform, continuous space. 	X _i ∈ [a _i ,b _i] are retrieved as: a _i + (b _i −a _i)·U _{i,g} , where the integer parameters are additionally rounded.	1.0 4 Multi-dimensional 0.5 2 scaling (MDS) plots show the correspondence of the correspondence of	
 We found the best way of applying DE when parameters are discrete or categorical is to keep the population in a continuous space, perform canonical DE, and only discretize copies of individuals to evaluate them. 	 Ordinal and categorical parameters X_i ∈ {x₁,,x_n}: the range [0, 1] is divided uniformly into n bins. 	^A -sque and the search trajectories ^{-0.5} ^{-0.5} ^{-0.5} ^{-0.5} ^{-0.5} ^{-0.5} ^{-0.5} ^{-0.5} ^{-0.5} ^{-0.5} ^{-0.5} ^{-0.5} ⁻¹	
 The mutation strategy selected was rand1 and binomial crossover were selected as the DE strategies for this work. 	$\begin{array}{c}X^2\\ \bigstar \qquad \qquad \text{Difference vector}\\ X_{r_2,g}-X_{r_3,g} \qquad \textbf{(1, 1)}\end{array}$	$\begin{array}{c} -1.0 \\ -1.0 \\ -1.0 \\ -1.0 \\ MDS - X \end{array} \begin{array}{c} -1.0 \\ -1.0 \\ MDS - X \end{array} \begin{array}{c} -1.0 \\ -1.0 \\ MDS - X \end{array} \begin{array}{c} -1.0 \\ -1.0 \\ MDS - X \end{array} \begin{array}{c} -1.0 \\ -1.0 \\ MDS - X \end{array} \begin{array}{c} -1.0 \\ -1.0 \\ MDS - X \end{array} \begin{array}{c} -1.0 \\ -1.0 \\ MDS - X \end{array} \begin{array}{c} -1.0 \\ -1.0 \\ MDS - X \end{array} \begin{array}{c} -1.0 \\ -1.0 \\ MDS - X \end{array} \begin{array}{c} -1.0 \\ -1.0 \\ MDS - X \end{array} \begin{array}{c} -1.0 \\ MDS - X \end{array} \end{array}$	
$\begin{bmatrix} x_i & x_0 & x_1 & x_0 \end{bmatrix}$	Target vector $X_{r_3,g}$	Empty space artefacts	



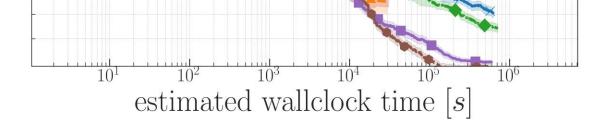




Experiments **Benchmark Results** Robustness CifarA Cifar10 CifarA Search space 3 \rightarrow RS ---- BOHB probability ... obability regret ¹⁰ _____ \rightarrow RS TPE --- BOHB - RE ---- DE pr ••••• TPF RE RE RE DE ---- RE DE 10^{-} ---- DF final test regret final test regret estimated wallclock time [s]estimated wallclock time [s]Cifar100 Parkinsons ImageNet Parkinsons ____ \rightarrow RS \rightarrow RS probability **- →-** • TPE ---- BOHB → HB regret ••••• TPE pr -- RE 10⁻ 10⁻ RE RE RE ---- DE ____ DE DE

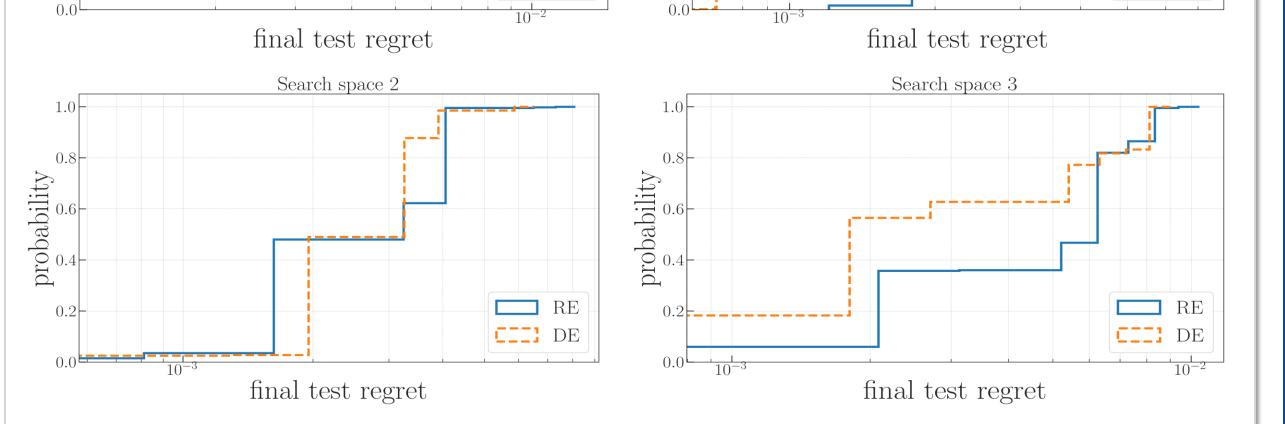


 0.2156 ± 0.00048



	NAS-Bench-101						
	CifarA	CifarB	CifarC	For NAS-101: DE is able to			
BOHB	0.0649 ± 0.00703	0.0648 ± 0.00203	0.065 ± 0.0023	exploit high-dimensional spaces well and handle mixed-types better.			
RE	0.0612 ± 0.00342	0.0613 ± 0.00321	0.0637 ± 0.00378				
DE	0.0598 ± 0.00262	0.0611 ± 0.00225	0.0606 ± 0.00248				
	I						
	Search space 1	Search space 2	Search space 3	For NAS-1shot1: For search space 3, the most complex, largest space, DE performs			
BOHB	0.0599 ± 0.00271	0.0606 ± 0.00215	0.0602 ± 0.00213				
RE	${\bf 0.0566 \pm 0.00076}$	0.0607 ± 0.00122	0.0588 ± 0.00261				
DE	0.0569 ± 0.00097	0.0605 ± 0.00113	${\bf 0.0573} \pm {\bf 0.00303}$	best and converges fastest.			
	NAS-HPO						
	Protein	Slice	Slice Naval		Parkinsons		
BOHB	0.2208 ± 0.00446	$0.00019 \pm 6.82e-05$	5 5.73e-05 \pm 2.3e	-04	0.0089 ± 0.00685		
RE	${\bf 0.2155 \pm 0.00028}$	$0.00016\pm2.06 ext{e-0}$)6 $3.59e-05 \pm 5.62e$	e-06	0.0065 ± 0.00056		

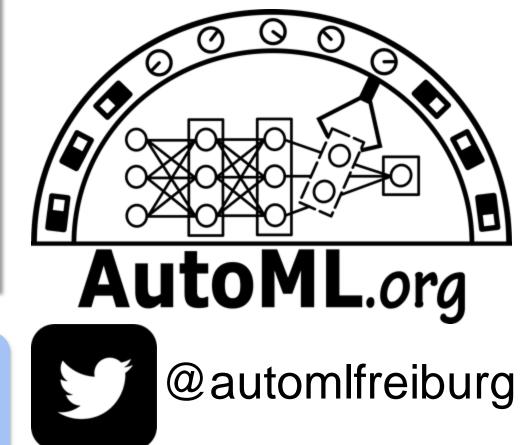
 $0.00016 \pm 3.54\text{e-}06 \quad 3.58\text{e-}05 \pm 3.81\text{e-}06 \quad 0.0064 \pm 0.00078$



• For NAS-Bench-101, DE is robust in solving CifarA and CifarC while RE is better in solving CifarB. • For NAS-Bench-1Shot1, DE is more robust to solve the three search spaces while we can say that RE is competitive in search space 2.

• For NAS-201, RE is more robust than DE in ImageNet while DE is competitively robust to RE in Cifar10 and Cifar100.

• For NAS-HPO, DE shows more robust performance in Slice and Parkinsons datasets. For Protein and Naval datasets, DE is competitively robust to RE.



Implementation Publicly Available: https://github.com/automl/DE-NAS